



Final revision Geometry

Choose the correct answer

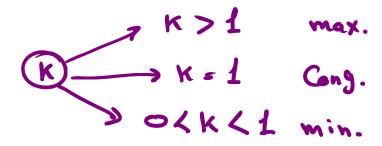
Two similar polygons are congruent if the scale factor k satisfies that

(a)
$$k = \frac{1}{2}$$

(b)
$$k = 1$$

(c)
$$k > 1$$

(d)
$$0 < k < 1$$





The ratio between the perimeters of two similar triangles is 4:9, then the ratio between the length of two corresponding sides =

While
$$\frac{\alpha_1}{\alpha_2} = \left(\frac{P_1}{P_2}\right) = \left(\frac{S_1}{S_2}\right)$$



The ratio between two corresponding sides in two similar polygons is 2:3, if the perimeter of the smaller is 14 cm., then the perimeter of the greater =

(a) 10

(b) 15

- (c)42
- (d) 21

$$\frac{P_{1}}{P_{2}} = \frac{P_{1}}{S_{2}}$$

$$\frac{14}{P_{2}} = \frac{2}{3} \Rightarrow P_{2} = \frac{3 \times 14}{2} = 21 \dots$$

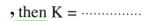
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Choose the correct answer

In the opposite figure:

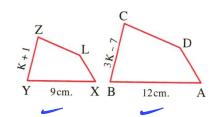
If the polygon ABCD ~ polygon XYZL



(a) 5

(c)9

(b) 7



$$\frac{AB}{XJ} = \frac{BC}{YZ} \Rightarrow \frac{12}{9} = \frac{3K - 7K}{K + 1} = \frac{4}{3}$$

$$3(3K-7) = 4(K+1)$$

 $9K-21 = 4K+4$
 $9K-4K = 4+21$
 $5K = 25$:: $K = \frac{25}{5} = 5$

In the opposite figure :

If $\overline{DE} // \overline{BC}$, 3DE = 2BC

EC = 5 cm., then $AE = \cdots \text{ cm.}$

(a) 15

(b) 12

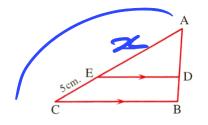
(c) 10

DADE ~ DABC

 $\frac{DE}{BC} = \frac{AE}{AC}$ $\frac{2}{2} = \frac{2}{2}$ $\frac{2}{2} + 5$

3x - 2x = 10

AE= == 10-







If \triangle ABC $\sim \triangle$ XYZ and AB = 3 XY, then $\frac{a(\triangle XYZ)}{a(\triangle ABC)} = -\frac{a(\triangle XYZ)}{a(\triangle ABC)}$

(a) 9

(b)
$$3$$

(c)
$$\frac{1}{3}$$

(d)
$$\frac{1}{9}$$

$$\frac{a \cdot (\Delta x \gamma z)}{a \cdot (\Delta ABC)} = \left(\frac{x \gamma}{AB}\right)^{2}$$

$$= \left(\frac{1}{3}\right)^{2} = \frac{1}{9}$$

$$= \frac{x \gamma}{AB} = \frac{1}{3}$$

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Choose the correct answer

The ratio between the lengths of two sides in two squares is 3:5 and the area of the greater square is 100 cm², then the perimeter of the smaller = cm.

(a) 12

$$\frac{a_1}{a_2} = \left(\frac{S_1'}{S_2}\right)^2 = \left(\frac{3}{5}\right)^2$$

$$\frac{a_1}{a_2} = \frac{9}{25}$$

$$\frac{Q_1}{100} = \frac{9}{25}$$

$$\frac{\alpha_1}{100} = \frac{9}{25} \implies \alpha_1 = \frac{9 \times 100}{25} = 362$$

$$a_{i} = (l_{i})^{2} = 36$$



Two polygons are similar. The ratio between the lengths of two corresponding sides is 5:3 and the difference between their areas equals 32 cm², then the area of the smaller $polygon = \cdots cm^2$

$$\frac{a_{i}}{a_{v}} = \left(\frac{S_{i}}{S_{v}}\right)^{2} = \left(\frac{5}{3}\right)^{2} = \frac{25}{9} \cdot \frac{25 \cdot 9 \cdot 16}{9 \cdot 9 \cdot 32}$$

$$a_1 = 25(2) = 50$$
 $a_2 = 9(2) = 18$

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Choose the correct answer

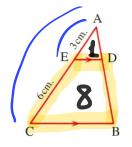
In the opposite figure:

The area of the quadrilateral DBCE = \cdots the area of \triangle ADE

(a) 3

(b) 4

(c) 8



$$= \frac{a \cdot DADE}{a \cdot DABC} = \left(\frac{3}{9}\right)^2 = \frac{1}{9} Parts$$



$$\frac{AB}{XY} = \frac{BC}{YZ} \Rightarrow \frac{32}{3m-1} = \frac{40}{3m+1}$$

$$120^{M} - 96^{M} = 32 + 40$$

 $24^{M} = 72$: $m = \frac{72}{24} = 3$



In the opposite figure:

 $\overline{DE} // \overline{BC}$, DE = 4 cm., BC = 12 cm.

- , AD = (X 2) cm. , BD = (X + 2) cm.
- , then $X = \cdots cm$.





$$\frac{AD}{AB} = \frac{DE}{BC} \Rightarrow \frac{2 - 2}{2 - 2 + 2 + 2} = \frac{4}{12}$$

$$\frac{\chi-2}{2x}=\frac{1}{3}$$

$$3x - 6 = 2x$$

$$3x - 2x = 6$$

$$\therefore x = 6$$



In the opposite figure:

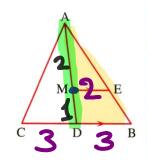
M is the point of intersection of medians of \triangle ABC

,
$$\overline{\text{ME}}$$
 // $\overline{\text{BD}}$, then $\frac{\text{ME}}{\text{BC}} = \frac{2}{6}$

(a)
$$\frac{1}{2}$$
 (c) $\frac{1}{4}$

$$\chi \frac{3}{2}$$

$$\frac{AM}{AD} = \frac{ME}{DB} = \frac{2}{3}$$







In the opposite figure:

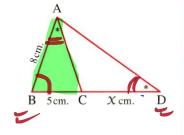
$$m (\angle ADC) = m (\angle BAC)$$
, $x = \cdots cm$.

(a) 3.9

(b) 4.5

(c) 5.4

(d) 7.8



$$\frac{BA}{BD} = \frac{AC}{DA} = \frac{CB}{AB} \Rightarrow \frac{8}{2+5} \frac{5}{8}$$

$$2+5 = \frac{8x8}{5}$$

$$\chi = 12.8 - 5 = 7.8$$



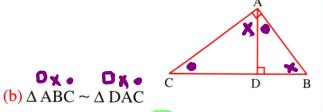
In the opposite figure:

 Δ ABC is right angled triangle at A , $\overline{AD} \perp \overline{BC}$, then the false statment of the following is

(a) \triangle ABC \sim \triangle DBA

(c) \triangle ACD \sim \triangle BAD

X.0 X.0



(d) $AD = DB \times DC$

(AD)2 = DBXDC



Choose the correct answer (AB)2 BOXBC

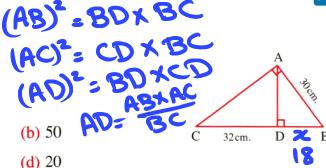
In the opposite figure :

AB = 30 cm., DC = 32 cm.

 $, then AD = \cdots cm.$

(a) 18

(c) 24



$$(AB)^{2} = BD \times BC$$

 $(30)^{2} = 2 \times (2 + 32)$
 $(30)^{2} = 2 \times (2 + 32)$
 $(30)^{2} = 2 \times (2 + 32)$
 $(20)^{2} = 2 \times (2 + 32)$

$$(AD)^2 = DB \times DC$$
$$= 18 \times 32$$

$$(AD)^2 = 576$$



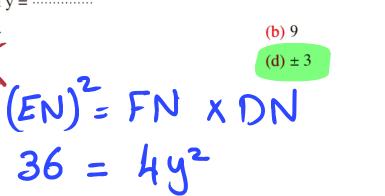
In the opposite figure:

DEF is a right angled triangle at E

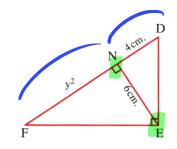
$$, \overline{EN} \perp \overline{DF}, DN = 4 \text{ cm.}, EN = 6 \text{ cm.}$$

• then $y = \cdots$





$$y^2 = \frac{36}{4} = 9$$



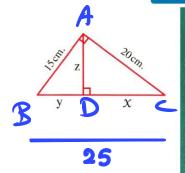
$$(-3)^{2}=9$$



In the opposite figure:

- (a) 44
- (c) 28

- **(b)** 37
- (d) 52



BC =
$$\sqrt{(15)^{2} + (20)^{2}} = 25$$

AD = $\frac{15 \times 20}{25} = 12$

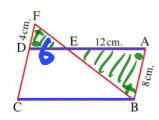


In the opposite figure:

ABCD is a parallelogram, $F \in \overrightarrow{CD}$

AE = 12 cm. PD = 4 cm. AB = 8 cm.

, then $BC = \cdots cm$.



(a) 18
(b) 15
(c) 10
(d) 5

$$\triangle ABE \sim \triangle DFE$$
 $AB = AE \rightarrow 8 = 12$
 $DE = 4 \times 12 = 6$
 $AD = 6 + 12 = 18$



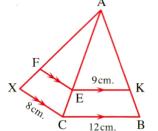
In the opposite figure:

 $\overline{KE} // \overline{BC}$, $\overline{EF} // \overline{XC}$, $\overline{KE} = 9 \text{ cm.}$, $\overline{BC} = 12 \text{ cm.}$

CX = 8 cm. then $EF = \cdots \text{ cm.}$

(a) 3

(b) 6



(c) 9

(d) 12 : EK // CB



$$\frac{9}{12} = \frac{3}{4}$$

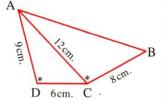


In the opposite figure:

$$m (\angle D) = m (\angle ACB)$$

- , then $AB = \cdots cm$.
- (a) 12
- (c) 18





$$\frac{AC}{AD} = \frac{AB}{AC} \Rightarrow \frac{12}{9} = \frac{AB}{12}$$

$$AB = \frac{12 \times 12}{9} = 16$$



CD= ((6)2-(6)2=8

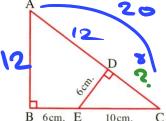
By using the givens in the figure

$$AD + AB = 2 + 12 cm$$
.

(a) 15

(b) 9.6





$$\frac{CD}{CB} = \frac{DE}{BA} = \frac{CE}{CA} \Rightarrow \frac{8}{16} = \frac{6}{BA} = \frac{10}{CA}$$



In the opposite figure:

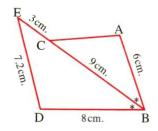
BC bisects ∠ ABD

(a) 4.8

(b) 5.4

(c) 5.8

(d) 6.2



$$\Delta ABC \sim DDBE$$

$$AB = BC = AC$$

$$DE = 8 = 12$$

$$AC = 6x7.2$$

$$AC = 6x7.2$$

$$B = 5.4$$



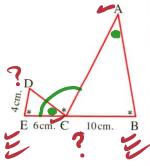
In the opposite figure:

$$m (\angle B) = m (\angle E) = m (\angle ACD)$$

- $, then AB = \cdots cm.$
- (a) 12
- (c) $\frac{20}{3}$



- **(b)** 15
- (d) $\frac{25}{6}$



DABC
$$\sim$$
 DCED
AB = BC \rightarrow AB = $\frac{10}{4}$
AB = $\frac{10 \times 6}{4}$ = 15...



In the opposite figure:

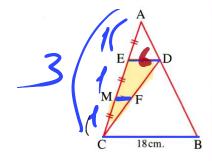
If BC = 18 cm.

, then $MF = \cdots cm$.

(a) 2

(c)4

(b) 3



$$\frac{1}{3} = \frac{ED}{18}$$



In the opposite figure:

If D is the midpoint of \overline{AB} , E is the midpoint of \overline{AC} , DE = 6 cm., then

(a)
$$X = y$$

(c)
$$X = 2 y$$

(b)
$$X < y$$

(d)
$$y = 2 X$$

$$ED = \frac{1}{2}BC \qquad x-3 = 3+1$$

$$= 2 + 4 = 12 \qquad 8-3 = 3+1$$

$$= 2 + 4 = 12 \qquad 5 = 3+1$$

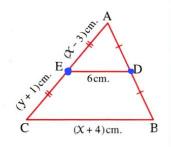
$$= 2 + 4 = 12 \qquad 5 = 3+1$$

$$= 2 + 4 = 12 \qquad 5 = 3+1$$

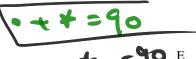
$$= 2 + 4 = 12 \qquad 5 = 3+1$$

$$= 2 + 4 = 12 \qquad 5 = 3+1$$

$$= 3 + 4 \qquad 5 = 3 + 1$$





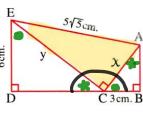


In the opposite figure:

$$x + y = 5$$
 cm.

- (a) 12
- (c) 18

(b	1	1	5



$$\frac{3}{6} = \frac{2}{3}$$

$$2^{2} + 3^{2} = (5\sqrt{5})^{2}$$

$$1m^2 + 4m^2 = 125$$

 $5m^2 = 125$

$$m^2 = 25$$



In the opposite figure:

In \triangle ABC, if AB = AC, BE = 25 cm.

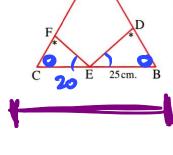
 $, m (\angle BDE) = m (\angle CFE)$

DE : EF = 5 : 4, then $BC = \dots cm$.

(a) 45

(b)40

(c)55



$$CE = \frac{4 \times 25}{5} = 20$$



In the opposite figure:

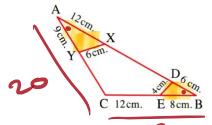
 $CY = \cdots cm$.

(a) 9

(b) 10

(c) 11





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Choose the correct answer

In the opposite figure:

ABCD is a cyclic quadrilateral

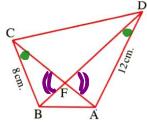
, then the area of \triangle AFD : the area of \triangle BFC =



(b) 3:2

(c) 4:9

(d) 9:4



DAFD
$$\sim$$
 DBFC

a.DAFD

a.DBFC = $\left(\frac{12}{8}\right)^2 = \frac{9}{4}$



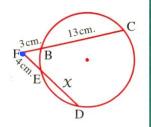
In the opposite figure:

If $\overrightarrow{CB} \cap \overrightarrow{DE} = \{F\}$, then the value of $X = \cdots \cdots$ cm.

(a) 6

(b) 7

(c) 8



FEXFD = FB x FC

$$4(4+x) = 3(16)$$

 $4+x = \frac{3x16}{4}$
 $4+x = 12$: $x = 12-4$
 $x = 8$

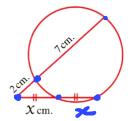


In the opposite figure:

$$\chi = \cdots \cdots cm$$
.

(a) 18

(b) 9



$$(x)(4x) = (2)(9)$$

 $x^2 = 9$

$$x = \pm 3$$



In the opposite figure:

M is a circle with radius 3 cm.

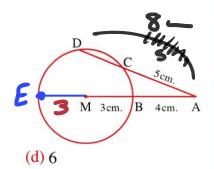
AB = 4 cm. AC = 5 cm.

, then $DC = \cdots cm$.

(a) 8



(c) 4



$$AB \times AE = AC \times AD$$

 $(4)(10) = 5 AD$
 $AD = \frac{4 \times 10}{5} = 8 - 5 = 3$



In the opposite figure :

 $AB = 3 \chi cm.$, $CB = \chi cm.$

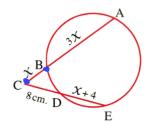
DE = (X + 4) cm. CD = 8 cm.

, then $X = \cdots$

(a) 5



(c)9



CB x CA = CD x CE

$$(x)(4x) = (8)(x+12)$$

 $4x^2 = 8x + 96$
 $4x^2 - 8x - 96 = 0$
 $x = 6$



In the opposite figure:

$$CE = X$$
 cm., $DE = (3 X - 1)$ cm.

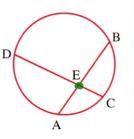
$$AE = (X + 1) \text{ cm. } BE = 2 \text{ X cm.}$$

, then
$$x = \dots$$
 cm.

(a) 2

(b) 3

(c)4



$$EA \times EB = EC \times ED$$

$$(x+1)(2x) = (x)(3x-1)$$

$$2x + 2 = 3x - 1$$

$$2x - 3x = -1 - 2$$

$$-x = -3$$

$$\therefore x = 3$$



In the opposite figure:

 \overline{DB} , \overline{CE} are two chords in the circle

$$,\overline{\mathrm{DB}}\cap\overline{\mathrm{CE}}=\{\mathrm{A}\},\mathrm{AB}=x\,\mathrm{cm}.,\mathrm{AD}=6\,\mathrm{cm}.$$

$$AC = (2 \sin \theta) \text{ cm.}$$
 $AE = (9 \csc \theta) \text{ cm.}$

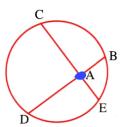
, then the value of $X = \cdots cm$.

(a) 3

(b) 5

(c) 6

(d)9



$$AB \times AD = AE \times AC$$

 $(\infty) (6) = (9 CSCB)(2 Sin B)$

6x = 18

- x=3c



In the opposite figure:

 \overline{AB} is a diameter in circle M, $E \in \overline{AM}$ where AE = EM, EC = 4 cm., ED = 3 cm.

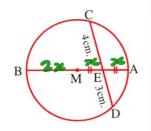
, then the circumference of circle $M = \cdots \cdots cm$.

(a) 4π

(b) 8π

(c) 16π

(d) 20π





In the opposite figure:

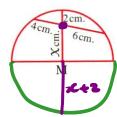
A semi-circle, the center of the circle is M

, then $X = \cdots cm$.

(a) 5

(b)

(c) 8



$$(2)(2x+2) = 4x6$$

 $4x + 4 = 24$
 $4x = 20$ $\Rightarrow x = 5$



In the opposite figure:

If $\overline{DE} // \overline{BC}$, $DB = x^2$ cm.

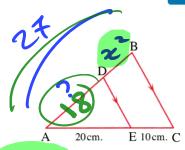
AB = 27 cm. AE = 20 cm. EC = 10 cm.

, then $X = \cdots$

(a) ± 13

(b) ± 6

 $(c) \pm 9$



 $(d) \pm 3$

$$\triangle AED \sim \triangle ACB$$

$$AE = AD$$

$$AC = AD$$

$$AC = AD$$

$$AD = 27 \times 2$$

$$AD = 27 \times 2$$

$$X^2 = 27 - 18 = 9$$

$$X = -3$$



In the opposite figure:

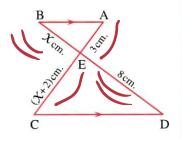
If $\overline{AB} // \overline{DC}$

, then $X = \cdots cm$.

(a) 6

(b) 2

(c) 4



$$\frac{3}{9x+2} = \frac{x}{8}$$

$$x^{2} + 2x = 24$$

$$x^{2} + 2x - 24 = 0$$

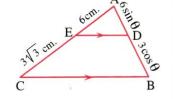
$$x = 0$$



In the opposite figure:

 \overline{BC} // \overline{DE} , θ is an acute angle

BC // DE,
$$\theta$$
 is an acute angle, then DB = cm. 3 (a) 3 (b) 3 (c) 3 (c) 3 (d) 3 (d)



(a) 2

$$\frac{3\sqrt{3}}{2}$$

(b)
$$2\sqrt{3}$$

$$(d)$$
 3

$$\frac{AD}{DB} = \frac{AE}{EC} \Rightarrow \frac{6 \sin \theta}{3 \cos \theta} = \frac{6}{3 \sqrt{3}}$$

$$2 \tan \theta = \frac{2\sqrt{3}}{3}$$

$$\tan \theta = \frac{\sqrt{3}}{3}$$



In the opposite figure:

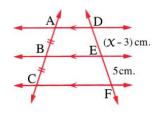


 $DE = (X - 3) \text{ cm. } \cdot EF = 5 \text{ cm.}$

- , then $x = \dots$ cm.
- (a) 3
- (c) 8

- - (d) 2

(b) 5





In the opposite figure :

If
$$\overline{AD} / / \overline{EN} / / \overline{BC}$$

, then
$$y = \cdots$$
 cm.

(a) 4

(c) 2

$$33+1=2+5$$
 $33+1=7$
 $33=6$
 $33=6$



In the opposite figure:

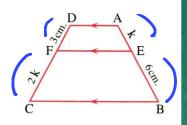
If $\overline{AD} / | \overline{EF} / | \overline{BC}$

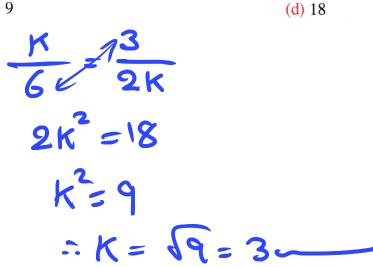
, then $k = \cdots cm$.

(a) 3

(c) 9

(b) 6







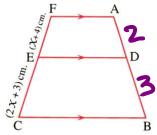
In the opposite figure:

If AD : AB = 2 : 5

- , then $X = \cdots$
- (a) 8
- (c) 4

(b) 6





$$\frac{FE}{EC} = \frac{2}{3} \Rightarrow \frac{2}{2x+3} = \frac{2}{3}$$

$$42 + 6 = 3x + 12$$

$$42 - 3x = 12 - 6$$

$$x = 6$$



The interior and exterior bisectors of an angle at the vertex of an equilateral triangle

- (a) are perpendicular.
- (c) bisecting each other.

- (b) are parallel.
- (d) All the previous.





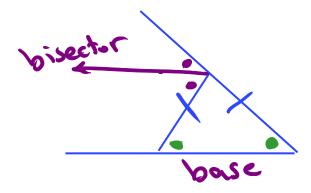
The exterior bisector of the angle at the vertex of an isoscles triangle the base.

(a) bisects

(b) is perpendicular to

(c) is parallel to

(d) is equal to



Together we can make math easier



Choose the correct answer

In the opposite figure:

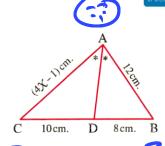
If \overrightarrow{AD} bisects $\angle BAC$

, then $x = \cdots cm$.

- (a) 3
- (c)4.5

(b) 4

(d) 6



 $\frac{AB}{AC} = \frac{BD}{CD} \implies \frac{12}{uz-1} = \frac{8}{10}$

12 34

 $4x-1=\frac{5\times12}{9}$ 4x-1=15

ux=16

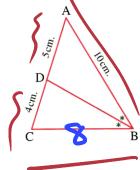
x=4~



In the opposite figure:

BD = cm.

- (a) 8
- (b) $4\sqrt{2}$
- (c) $2\sqrt{15}$
- (d) 6



$$\frac{BA}{BC} = \frac{AD}{CD} \implies \frac{10}{BC} = \frac{5}{4}$$

$$BC = \frac{4 \times 10}{5} = 8$$

$$BD = \sqrt{BAXBC - ADXCD} = \sqrt{(6)(8) - (5)(4)}$$

$$= 2 \sqrt{15}$$



In the opposite figure:

The perimeter of \triangle ABD = cm.

(a) 69

(b)75

(c) 55

$$\frac{AB}{AC} = \frac{BD}{CD} \Rightarrow \frac{27}{15} = \frac{18}{CD}$$

$$\therefore CD = \frac{18 \times 15}{27} = 10$$

Together we can make math easier



Choose the correct answer

In the opposite figure:

 \overrightarrow{AE} bisects \angle BAD, \overrightarrow{EF} // \overrightarrow{BC}



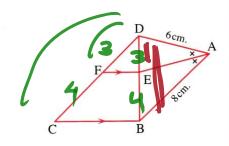
(a) 3:4

(c) 3:7



(b) 4:3

(d) 4:7



$$\frac{AD}{AB} = \frac{DE}{EB} \implies \frac{6}{8} = \frac{DE}{EB}$$

$$\therefore \frac{DE}{EB} = \frac{3}{4}$$

$$\therefore \frac{DF}{BC} = \frac{DF}{DC} = \frac{3}{7}$$

$$\therefore \frac{EF}{BC} = \frac{DF}{DC} = \frac{3}{7}$$



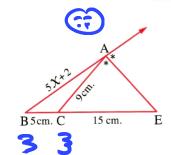
In the opposite figure:

 \overrightarrow{AE} is an exterior bisector of $\angle A$

, then the value of $X = \cdots$

- (a) 1
- (c) 3

(b) 2



$$\frac{9}{5\times +2} = \frac{15}{20}$$

$$\frac{9}{5x+2} = \frac{3}{4}$$

$$5x+2 = \frac{4x9}{3}$$

$$5x+2 = 12$$

$$5x=10$$



In the opposite figure :

 \overrightarrow{AD} bisects \angle A externally , AB = 3 cm. , AC = 2 cm.

, BC = 12 cm. , then CD = \cdots cm.

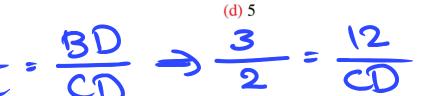


(b) 6

D

12 cm.-

(c) 4.8



$$CD = \frac{2X12}{3} = 8$$



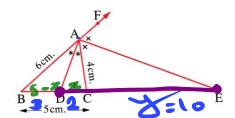
In the opposite figure:

 \overrightarrow{AD} bisects \angle BAC, \overrightarrow{AE} bisects the exterior \angle A

(a) 10

12

(b) 11



$$\frac{4}{6} = \frac{x}{5-x}$$



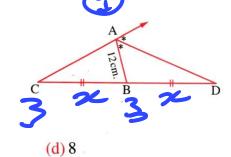
In the opposite figure:

If \overrightarrow{AD} bisects the exterior angle of the triangle at $\angle A$, B is the midpoint of \overrightarrow{CD} , AB = 12 cm.

, then
$$AC = \cdots cm$$
.

(a) 12

(c) 24



$$\frac{AB}{AC} = \frac{BD}{CD} \implies \frac{12}{AC} = \frac{1}{2}$$



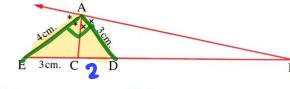
In the opposite figure:

If AD = 3 cm., AE = 4 cm., CE = 3 cm.

, then $DC = \cdots cm$.

(a) 4





(c)1

(d)3



In the opposite figure:

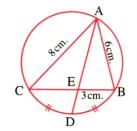
$$m(\widehat{BD}) = m(\widehat{CD})$$

, then the length of $\overline{AE} = \cdots \cdots cm$.

(a) $4\sqrt{2}$

(b) $2\sqrt{3}$

(c) 4





In the opposite figure:

 \overrightarrow{AE} bisects (\angle BAF), AD = 2 cm.

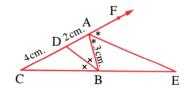
DC = 4 cm. AB = 3 cm.

, then $BE = \cdots cm$.

(a) 3

(b) 4

(c)5





In the opposite figure:

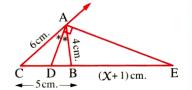
If \overrightarrow{AD} bisects $\angle CAB$, $\overrightarrow{AE} \perp \overrightarrow{AD}$

 $, \chi = \cdots cm.$

(a) 8

(b) 9

(c) 11





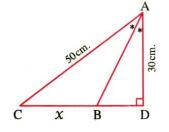
In the opposite figure:

ADC is a right-angled triangle at D, AD = 30 cm., AC = 50 cm, \overrightarrow{AB} bisects $\angle A$ and intersects \overrightarrow{CD} at B, then $X = \cdots$

(a) 5

(b) 10

(c) 25





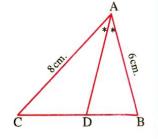
In the opposite figure:

AD bisects ∠ BAC

, then
$$\frac{a (\Delta ABD)}{a (\Delta ADC)} = \cdots$$

- (a) 3:7
- (c) 81:144

- (b) 3:4
- (d) 9:49





In the opposite figure:

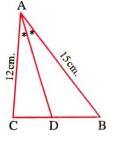
If the area of \triangle ABC = 72 cm².

, then the area of \triangle ADB = cm².

(a) 24

(b) 28

(c) 32



In the opposite figure:

If $AB \times AC = 10 \text{ cm.}$, $BD \times DC = 6 \text{ cm.}$

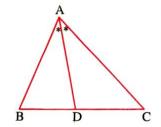
, then $AD = \cdots \cdots cm$.

(a) 2

(b) 4

(c) 8

(d) 10



Goodlcuk